

### Gravity Lab

This lab evaluates several key physics-based concepts essential to astronomy and cosmology, including:

1. Quantitative methodology, the Scientific Method (Galileo)
2. Application of fundamental laws of physics (Newton)
3. Sir Isaac Newton's breakthrough in explaining astronomical phenomena with a mathematical model based on physics principles vis-à-vis Kepler's explanation(s) which were derived from empirical observations.

Specifically, you will apply Newton's Version of Kepler's Third Law to calculate the period of the Moon's orbit.

#### Formulas used in this lab:

<p><b>Velocity:</b></p> $V = \frac{D}{T}$	<p><b>Acceleration:</b></p> $a = \frac{V_f - V_i}{T}$ <p>(In this case <math>a = a_g = \text{gravity}</math>)</p>
<p><b>Simplified ("Idealized") version of Newton's Law of Gravity:</b></p> $F_g = \frac{GM}{r^2} \quad (F_g = a_g)$	<p><b>Mass of Primary (Earth in this case) using variant of simplified version of Newton's Law of Gravity:</b></p> $m = \frac{F_g r^2}{G}$
<p><b>Kepler's Third Law:</b></p> $p^2 = a^3$ <p><b>NOTE:</b> a = radius of orbit in AU, p = time of orbit Earth Years</p>	<p><b>Newton's version of Kepler's Third Law:</b></p> $p^2 = \frac{4\pi^2 a^3}{GM}$ <p>therefore, <math>p = \sqrt{\frac{4\pi^2 a^3}{GM}}</math></p> <p><b>NOTE:</b> a = radius of orbit in meters p = time of orbit in seconds)</p>

Preliminary Data/Instructions:

- Mean radius of Earth at equator: 6378 Km
- Mean radius of Moon's orbit: 384,000 Km
- Numeric value of Universal Gravitational Constant:  $6.672 \times 10^{-11}$
- Remember, you cannot use kilometers, hours, days in Newton's formulas – you must use standard units: meters, seconds, kilograms!
- 1 hour = 3600 sec, 1 day = 24 hours
- **USE SCIENTIFIC NOTATION!**

Lab Procedure:

1. Using a pendulum determine the acceleration of gravity on the surface of the Earth

Analysis 1:

1. Determine the average velocity of each event using the formula for velocity. Use measured distance(s) in meters for D, duration for T
2. Calculate the average acceleration of gravity by using the acceleration formula; use the average velocity of the earlier Event for  $V_i$ , the later Event for  $V_f$ , and elapsed time ( not duration) for T.
3. Use procedure in Step 2 to compare  $E_2$  with  $E_1$ ,  $E_3$  with  $E_2$ , and  $E_3$  with  $E_1$ .
4. Average the results from Step 3. This is your measured/calculated average acceleration of gravity ( $a_g$ ) at sea level.

Analysis 2:

1. Calculate the mass of Earth using the preliminary data and your measurement of  $a_g$  using the variant of simplified version of Newton's law of Gravity.
2. IMPORTANT: Use your measured/calculated  $a_g$  for the value of  $F_g$

Analysis 3:

1. Calculate the period of the Lunar orbit (in seconds) using Newton's Version of Kepler's Third Law
2. Use values from Preliminary Data and your calculations from Analysis 2
3. Convert result to "days"
4. **USE SCIENTIFIC NOTATION!**

## ANALYSIS 2 WORKSHEET

### Required data:

1. Calculated  $a_{avg}$  : \_\_\_\_\_
2. Radius of Earth (in meters) \_\_\_\_\_
3. Numerical value of G: \_\_\_\_\_

### Calculations:

**ANSWER:**

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### ANALYSIS 3 WORKSHEET

Required Data:

1. Earth Mass as calculated in Analysis 2 \_\_\_\_\_
2. Numerical value of G \_\_\_\_\_
3. Radius of Lunar orbit in meters \_\_\_\_\_

ANSWER (IN DAYS):