

## Part 2 of 6

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AND YES.... I LOVE STATS!



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## REMINDER: MY LITTLE DISCLAIMER

- I am deliberately OVERSIMPLIFYING this series.
- You are not trying to be a biostatistician
- You just need 'enough understanding' to understand the research you are reading
- So I acknowledge I am oversimplifying, but with the hope that
- You have enough information to get the general idea
- You don't have so much information that you get confused


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## LET'S START!

## AVERAGES AND DISTRIBUTION

1. Mean vs Median
2. Standard Deviation
3. Confidence interval


## MEAN vs MEDIAN

- To be honest.....It's a bit hard to understand the mean vs the median without having a sample set of scores to work with
- So let's start by looking at a sample set:


## EXAMPLE

- A Physiotherapist assesses the pelvic floor contraction pressure of 30 women using a peritron perineometer.
- The measures are in $\mathrm{cmH}_{2} 0$ after zeroing the rest pressure

| Pt | cmH2O | Pt | cmH 20 |
| :--- | :---: | :---: | :---: |
| 1 | 22 | 16 | 36 |
| 2 | 46 | 17 | 6 |
| 3 | 11 | 18 | 18 |
| 4 | 26 | 19 | 22 |
| 5 | 21 | 20 | 26 |
| 6 | 15 | 21 | 18 |
| 7 | 34 | 22 | 17 |
| 8 | 21 | 23 | 26 |
| 9 | 19 | 24 | 14 |
| 10 | 32 | 25 | 27 |
| 11 | 88 | 26 | 36 |
| 12 | 105 | 27 | 41 |
| 13 | 12 | 28 | 39 |
| 14 | 15 | 29 | 22 |
| 15 | 24 | 30 | 12 |

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MEAN vS MEDIAN

THE MEAN

- The "MEAN" is simply the "AVERAGE"
- It is calculated by adding up all the scores and then dividing by the total number of scores

STEP ONE: Add all the scores
$22+46+11+26+21+15+34+21+19+32+\ldots .$.

$$
=851
$$

STEP TWO: Divide by total number of scores


| Pt | cmH 20 | Pt | cmH 20 |
| :--- | :---: | :---: | :---: |
| 1 | 22 | 16 | 36 |
| 2 | 46 | 17 | 6 |
| 3 | 11 | 18 | 18 |
| 4 | 26 | 19 | 22 |
| 5 | 21 | 20 | 26 |
| 6 | 15 | 21 | 18 |
| 7 | 34 | 22 | 17 |
| 8 | 21 | 23 | 26 |
| 9 | 19 | 24 | 14 |
| 10 | 32 | 25 | 27 |
| 11 | 88 | 26 | 36 |
| 12 | 105 | 27 | 41 |
| 13 | 12 | 28 | 39 |
| 14 | 15 | 29 | 22 |
| 15 | 24 | 30 | 12 |


－The＂MEDIAN＂is not the Average
－The median is the＂MIDDLE SCORE＂
－It is calculated by putting all the scores in order and then finding the middle score

STEP ONE：Arrange the scores in order
$\rightarrow$ Smallest to largest
STEP TWO：Find the middle score
（in this sample there isn＇t a single middle score so it is half way between score 15 and 16 which are both the same）

MEDIAN＝ 22

|  | cmH 2 a |  | cmH 20 |
| :--- | :---: | :---: | :---: |
| 1 | 6 | 16 | 22 |
| 2 | 11 | 17 | 24 |
| 3 | 12 | 18 | 26 |
| 4 | 12 | 19 | 26 |
| 5 | 14 | 20 | 26 |
| 6 | 15 | 21 | 27 |
| 7 | 15 | 22 | 32 |
| 8 | 17 | 23 | 34 |
| 9 | 18 | 24 | 36 |
| 10 | 18 | 25 | 36 |
| 11 | 19 | 26 | 39 |
| 12 | 21 | 27 | 41 |
| 13 | 21 | 28 | 46 |
| 14 | 22 | 29 | 88 |
| 15 | 22 | 30 | 105 |

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## MEAN vS MEDIAN

Why do research papers sometimes use the mean and sometimes use the median？

When using the mean．．．．．．all individual values will have an impact on the result， When using the median．．．．most values won＇t influence the result at all．



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## MEAN vs MEDIAN

## EXAMPLE OF USING THE MEAN VS THE MEDIAN

Let's pretend a drug company has created a new drug to relieve pain in chronic back pain. Being a new drug they sample it on just 5 people......

| Patient | Pain at <br> Baseline | Pain after <br> new drug | Change in <br> Pain |
| :--- | :--- | :--- | :--- |
| 1 | $7 / 10$ | $5 / 10$ | -2 |
| 2 | $8 / 10$ | $6 / 10$ | -2 |
| 3 | $5 / 10$ | $9 / 10$ | +4 |
| 4 | $8 / 10$ | $6 / 10$ | -2 |
| 5 | $6 / 10$ | $9 / 10$ | +3 |
| Avge | 6.8 | 7.0 |  |

What was the 'mean' change in pain (average)?

Add scores: $(-2)+(-2)+(+4)+(-2)+(+3)=+1$ Divide by total $=+1 \div 5=$ worse by 0.2

The average change in pain was $0.2 / 10$ worse on a VAS scale
What was the median change in pain?
Start by putting scores in order: $\begin{array}{lllll}-2 & -2 & -2 & +3+4\end{array}$

If the drug company uses "Mean" they have to say the drug made people worse by $0.2 / 10$ Instead the drug company could say that the median change in pain was 2/10.

## MEAN vs MEDIAN

Does that mean researchers shouldn't use the median????
NO!
Sometimes the median is more reflective of the true change


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## MEAN vS MEDIAN

EXAMPLE \#2 OF USING THE MEAN VS THE MEDIAN
A company makes a new vaginal e-stimulation unit for increasing pelvic floor strength. They measure the strength of the pelvic floor using peritron before and after 12 weeks treatment

| Patient | Baseline <br> cmH 2 a | $12 / 52$ <br> cmH 20 | Change in <br> cmH 20 |
| :--- | :--- | :--- | :--- |
| 1 | 6 | 15 | +9 |
| 2 | 14 | 19 | +5 |
| 3 | 11 | 17 | +6 |
| 4 | 14 | 20 | +6 |
| 5 | 16 | 54 | +38 |
| Avge | 12.2 | 25 |  |

What was the 'mean' change in strength (ie average)?
Add scores: $(9)+(5)+(6)+(6)+(38)=+64$
Divide by total $=+64 \div 5=+12.8 \mathrm{cmH} 2 \mathrm{O}$

The average increase in strength was 12.8 cmH 2 O in 12 weeks?
What is the median change in strength?
Put scores in order: $+5+6+6+9+38$
When there is one or two significant outliers they can skew the result of the mean and make it look better than it really is.

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## ANOTHER TIME IM CYNICAL....

When researchers only give mean percentage change. $\qquad$ Not the mean of the raw data

Example 3: Another company makes a new vaginal e-stimulation unit for increasing pelvic floor strength. They measure the strength of the pelvic floor using peritron before and after $6 / 52 \mathrm{Rx}$

| Patient | Baseline <br> cmH 20 | $6 / 52$ <br> cmH 20 | Change | \% Change |
| :--- | :--- | :--- | :--- | :--- |
| 1 | 6 | 9 | +3 | $3 / 6=50 \%$ |
| 2 | 8 | 12 | +4 | $4 / 8=50 \%$ |
| 3 | 20 | 22 | +2 | $2 / 20=10 \%$ |
| 4 | 10 | 16 | +6 | $6 / 10=60 \%$ |
| 5 | 12 | 15 | +3 | $3 / 12=25 \%$ |
| Avge | 11.2 | 14.8 | 3.6 | $39 \%$ |

What was the 'mean' (avg) change in squeeze pressure?
The average change was $3.6 \mathrm{cmH} 20 \uparrow$ over 6 weeks
What was the median change in squeeze pressure?
The median change was a $3 \mathrm{cmH} 2 \mathrm{O} \uparrow$ over 6 weeks
What was the average \% change in squeeze pressure
Women averaged a $39 \%$ increase in strength in 6/52.

## ANOTHER TIME I'M CYNICAL.....

When researchers only give mean percentage change. $\qquad$ Not the mean of the raw data

Example 3: Another company makes a new vaginal e-stimulation unit for increasing pelvic floor strength. They measure the strength of the pelvic floor using peritron before and after $6 / 52 \mathrm{Rx}$

STUDY RESULTS:

Women averaged a 39\% increase in strength in 6/52.

MORAL OF THE STORY:......... be careful when raw numbers aren't given!


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## WHICH ONE??

Ideally I like researchers to give both.
If they are significantly different it probably means that there were some large outliers that skewed the mean.

- If they only give the mean, were their data skewed by a few people who had amazing outcomes and they didn't want us to know that the median change was lower??

I can also be suspicious if a researcher only gives me the median

- What was the range of outcomes?

I'm even more suspicious when they only give me a mean percentage change without the actual mean.


## WHERE ARE WE UP TO?

## AVERAGES AND DISTRIBUTION

1. Mean vs Median
2. Standard Deviation

3. Confidence interval


## STANDARD DEVIATION

Patients like to think we can give them an exact number for how they will respond to treatment In reality we don't know what their EXACT response to treatment will be.
Example
A woman comes to see you in clinic saying she feels weak in her pelvic floor especially during sex. She reports that she used to feel a stronger tightening of her PFM during orgasm. Your assessment shows that she has a Max PFC squeeze pressure of 18 cmH 20 . You suggest she does PFMT.

She asks: "If I do my pelvic floor exercises for $3 / 12$ how much will my strength increase??"
She would like your response to be exact:
eg "If you do your exercises your strength will go up by $15 \mathrm{cmH}_{2} \mathrm{O}$ in 12/52"
In reality, at best we can probably say:
eg "The average increase a woman gets in 12 weeks is $\sim 15 \mathrm{cmH}_{2} \mathrm{O}$, but it can vary anywhere from 5 cmH 20 to $25 \mathrm{cmH}_{2} \mathrm{O}$."

Where does the range come from??
This is what STANDARD DEVIATION tells us.

## STANDARD DEVIATION

Example - Let's pretend we have 24 women with the same circumstance (wanting to strengthen their pelvic floor for better sexual response with orgasm)
They are all given 12 weeks of PFMT

| PATIENT | $\mathbf{1}$ | $\mathbf{2}$ | $\mathbf{3}$ | $\mathbf{4}$ | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Baseline | 14 | 18 | 12 | 13 | 15 | 19 | 11 | 10 | 13 | 14 | 15 | 11 |
| 12 wks | 24 | 23 | 14 | 28 | 25 | 30 | 28 | 13 | 19 | 24 | 30 | 16 |
| CHANGE | +10 | +5 | +2 | +15 | +10 | +11 | +17 | +3 | +6 | +10 | +15 | +5 |
| PATIENT | 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20 | 21 | 22 | 23 | 24 |
| Baseline | 14 | 16 | 12 | 20 | 14 | 16 | 11 | 15 | 12 | 16 | 13 | 12 |
| 12 weeks | 14 | 26 | 32 | 45 | 19 | 31 | 21 | 31 | 22 | 30 | 22 | 19 |
| CHANGE | +0 | +10 | +20 | +25 | +5 | +15 | +10 | +16 | +10 | +14 | +9 | +7 |

Let's start by putting them in order from smallest change to largest change


## STANDARD DEVIATION

Example - Let's pretend we have 24 women with the same circumstance (wanting to strengthen their pelvic floor for better sexual response with orgasm)
They are all given 12 weeks of PFMT

| PATIENT | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Baseline | 14 | 12 | 10 | 11 | 14 | 18 | 13 | 12 | 13 | 11 | 12 | 14 |
| 12 wks | 14 | 14 | 13 | 16 | 19 | 23 | 19 | 19 | 22 | 21 | 22 | 24 |
| CHANGE | +0 | +2 | +3 | +5 | +5 | +5 | +6 | +7 | +9 | +10 | +10 | $+10 \rightarrow$ |
| PATIENT | 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20 | 21 | 22 | 23 | 24 |
| Baseline | 14 | 15 | 16 | 19 | 16 | 13 | 16 | 15 | 15 | 11 | 12 | 20 |
| 12 weeks | 24 | 25 | 26 | 30 | 30 | 28 | 31 | 30 | 31 | 28 | 32 | 45 |
| CHANGE | +10 | +10 | +10 | +11 | +14 | +15 | +15 | +15 | +16 | +17 | +20 | +25 |

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| PATIENT | 1 | 2 | 3 | 4 | 5 | 6 | 7 | 8 | 9 | 10 | 11 | 12 |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| Baseline | 14 | 12 | 10 | 11 | 14 | 18 | 13 | 12 | 13 | 11 | 12 | 14 |
| 12 wks | 14 | 14 | 13 | 16 | 19 | 23 | 19 | 19 | 22 | 21 | 22 | 24 |
| CHANGE | +0 | +2 | +3 | +5 | +5 | +5 | +6 | +7 | +9 | +10 | +10 | $+10 \rightarrow$ |
| PATIENT | 13 | 14 | 15 | 16 | 17 | 18 | 19 | 20 | 21 | 22 | 23 | 24 |
| Baseline | 14 | 15 | 16 | 19 | 16 | 13 | 16 | 15 | 15 | 11 | 12 | 20 |
| 12 weeks | 24 | 25 | 26 | 30 | 30 | 28 | 31 | 30 | 31 | 28 | 32 | 45 |
| CHANGE | +10 | +10 | +10 | +11 | +14 | +15 | +15 | +15 | +16 | +17 | +20 | +25 |

Now we are going to group them

## STANDARD DEVIATION

Example - Let's pretend we have 24 women with the same circumstance (wanting to strengthen their pelvic floor for better sexual response with orgasm)

They are all given 12 weeks of PFMT

| Change in Strength | \# of women |
| :--- | :--- |
| $0-4$ | 3 |
| $5-9$ | 6 |
| $10-14$ | 8 |
| $15-19$ | 5 |
| $>19$ | 2 |

RESULTS
Average Change at 12/52: $\uparrow 10.4 \mathrm{cmH} 20$
(add all change scores $\div 24$ people)
Median Change:
10 cmH 20

But is this how much a woman WILL CHANGE??

## STANDARD DEVIATION

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| $10-14$ | 8 |
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| Change in Strength | \# of women |
| :--- | :--- |
| $0-4$ | 3 |
| $5-9$ | 6 |
| $10-14$ | 8 |
| $15-19$ | 5 |
| $>19$ | 2 |




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They are all given 12 weeks of PFMT

| Change in Strength | \# of women |
| :--- | :--- |
| $0-4$ | 3 |
| $5-9$ | 6 |
| $10-14$ | 8 |
| $15-19$ | 5 |
| $>19$ | 2 |




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They are all given 12 weeks of PFMT

| Change in Strength | \# of women |
| :--- | :--- |
| $0-4$ | 3 |
| $5-9$ | 6 |
| $10-14$ | 8 |
| $15-19$ | 5 |
| $>19$ | 2 |




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## SO WHAT IS STANDARD DEVIATION?

Standard deviation tells us how far people are likely to "DEVIATE FROM THE MEAN"

You start by having the "mean" and acknowledge this is simply what the average person will be


This is definitely not what everyone will be
Standard Deviation then enables us to tell people the range of outcomes and their likelihood.

Moving 1SD either side of the mean tells us......

The range that more than $50 \%$ of people will fall into (to be specific..... $68 \%$ of people)


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Example:
Our research trial states that the average strength change was $10.4 \mathrm{cmH}_{2} 0$ with a SD of 3

$$
\begin{aligned}
& 10.4-3=7.4 \\
& 10.4+3=13.4
\end{aligned}
$$

The average strength change is $10.4 \mathrm{cmH}_{2} \mathrm{O}$ BUT
$68 \%$ of people will change b/w 7.4 to $13.4 \mathrm{cmH}_{2} \mathrm{O}$

## SO WHAT IS STANDARD DEVIATION?

Standard deviation tells us how far people are likely to "DEVIATE FROM THE MEAN"

You start by having the "mean" and acknowledge this is simply what the average person will be


Most people want a better guarantee than a $68 \%$ chance.

That is why we usually use a 2SD Range!

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## SO WHAT IS STANDARD DEVIATION?

Standard deviation tells us how far people are likely to "DEVIATE FROM THE MEAN"

You start by having the "mean" and acknowledge this is simply what the average person will be


Example of 2 SD:
Our research trial states that the average strength change was $10.4 \mathrm{cmH}_{2} 0$ with a SD of 3

$$
\begin{aligned}
& 10.4-6=4.4 \\
& 10.4+6=16.4
\end{aligned}
$$

The average strength change is $10.4 \mathrm{cmH}_{2} \mathrm{O}$
BUT
$95 \%$ of people will change b/w 4.4 to $16.4 \mathrm{cmH}_{2} \mathrm{O}^{\text {Y }}$ (

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## IIPPORTANT

The 3 most common numbers given in research are.....

THE MEAN
THE STANDARD DEVIATION
95\% Confidence Interval


## 95\% Confidence Interval

Is simply the range starting from 2 SD below the mean to 2 SD above the mean

It is the range that $95 \%$ scores fall in

As opposed to just giving the average.

## HOW WILL THIS LOOK IN RESEARCH

Group 1 Examples.....Sometimes they give mean and standard deviation.

1. A research paper states that after 12 weeks of PFMT, the pad weight on a 20 min pad test changed an average of $7 \mathrm{~g}+/-2.2 \mathrm{~g}$ (mean $\pm$ SD)

The average reduction is 7 g
2SD Range: $\quad(7-4.4 \mathrm{~g}) \quad \rightarrow \quad(7+4.4 \mathrm{~g})$
$95 \%$ of woman will experience a reduction in leakage between 2.6 g and 11.4 g
2. After bladder retraining it is found that the day frequency reduced from 14/day to 11 per day $\boldsymbol{+}-1.4$

The average frequency after bladder retraining was 11 per day (a reduction of 3 per day)
$2 S D$ range is $\quad(11-2.8) \quad \rightarrow \quad(11+2.8)$
$95 \%$ of women had a frequency in the range of 8.2 to 13.8 after bladder retraining.

## HOW WILL THIS LOOK IN RESEARCH

Group 2 Examples.....Often they are nice and immediately give you the 95\%CI

1. A research paper states that after reducing fluid intake by $25 \%$ per day, the day frequency reduced from 13/day to 9/day ( $95 \% \mathrm{Cl}$ : 7.2 - 10.8)

The average day frequency after fluid restriction was 9/day $95 \%$ of woman experienced a day frequency between 7.2 to 10.8 after $25 \%$ fluid reduction.
2. After defecation / posture advice, defecation time reduced from an average of 17 min to $6 \mathrm{~min}(95 \% \mathrm{Cl} 2.1-9.9)$

The average defecation time after giving posture advice was $6 \mathbf{m i n}$ $95 \%$ of women had a defecation time between 2.1 and 9.9 min after posture advice.



