# **Biostatistics**

Lecture 3

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# Organizing and Displaying Data Quantitative Data

- Frequency Distributions
- Constructing Frequency Distribution Tables
- Relative and Percentage Distributions
- Graphing Grouped Data
  - Histograms
  - Polygons

### Frequency Distributions

#### **Definition**

A <u>frequency distribution</u> for quantitative data lists all the classes and the number of values that belong to each class. Data presented in the form of a frequency distribution are called *grouped data*.

### Class Boundary

#### **Definition**

The <u>class boundary</u> is given by the midpoint of the upper limit of one class and the lower limit of the next class.

### Class Boundary

Age	Frequency	Class Boundaries
0 - 9	20	-0.5 to 9.5
10 - 19	15	9.5 to 19.5
20 - 29	25	19.5 to 29.5
30 - 39	20	29.5 to 39.5
40 - 49	20	39.5 to 49.5
50 - 59	30	49.5 to 59.5
60 - 69	20	59.5 to 69.5

• Class boundary for first class (0-9)

$$= 9 + 10 / 2 = 9.5$$

• Class boundary for first class (10-19)

$$= 19 + 20 / 2 = 19.5$$

• Class boundary for first class (20-29)

$$= 29 + 30 / 2 = 29.5$$

### Class Width - Class Size

• The difference between the two boundaries of the class

Class width = Upper Boundary – Lower Boundary

### Class Width - Class Size

Age	Frequency	Class Boundaries	Class Width
0 - 9	20	-0.5 to 9.5	10
10 - 19	15	9.5 to 19.5	10
20 - 29	25	19.5 to 29.5	10
30 - 39	20	29.5 to 39.5	10
40 - 49	20	39.5 to 49.5	10
50 - 59	30	49.5 to 59.5	10
60 - 69	20	59.5 to 69.5	10

Class width for the first class (0-9)

$$= 9.5 - 0.5 = 9$$

$$=19.5 - 10.5 = 9$$

$$= 29.5 - 20.5 = 9$$

$$= 39.5 - 30.5 = 9$$

$$=49.5-40.5=9$$

### Calculation of Class Width

• Approximate Class Width =  $\frac{Largest \ value - Smalest \ value}{Number \ of \ Classes}$ 

### Example for Calculation of Class Width

Construct a frequency distribution table for these data

8, 25, 11, 15, 29, 22, 10, 5, 17, 21, 22, 13, 26, 16, 18, 12, 9, 26, 20, 16, 23, 14, 19, 23, 20, 16, 27, 16, 21, 14

### Solution

Maximum value = 29

Minimum value = 5

Suppose we decide to group these data using five classes of equal width

Approximate Class Width = 29 - 5 / 5 = 4.8

5-9, 10-14, 15-19, 20-24, and 25-29

### Class Width Table

5 - 9

10 - 14

15 - 19

20 - 24

25 - 29

### Class Midpoint – Mark

Calculating Class Midpoint or Mark

Class Midpoint or Mark = 
$$\frac{Lower\ limit+Upper\ Limit}{2}$$

Age	Frequency	Class Boundaries	Class Width	Class Midpoint
0 - 9	20	-0.5 to 9.5	10	0 + 9 ÷ 2 = 4.5
10 - 19	15	9.5 to 19.5	10	10 + 19 ÷ 2 = 14.5
20 - 29	25	19.5 to 29.5	10	49 ÷ 2 = 24.5
30 - 39	20	29.5 to 39.5	10	69 ÷ 2 = 34.5
40 - 49	20	39.5 to 49.5	10	89 ÷ 2 = 44.5
50 - 59	30	49.5 to 59.5	10	109 ÷ 2 = 54.5
60 - 69	20	59.5 to 69.5	10	129 ÷ 2 = 64.5

### Class Midpoint Class Mark

- Class Midpoint
- 0+9/2=4.5
- $\bullet$  10 + 19 / 2 = 14.5
- 49 / 2 = 24.5
- 69 / 2 = 34.5

### Relative Frequency and Percentage Distributions

What is cumulative frequency distribution??

The total number of values that fall below the upper boundary of each class

What is cumulative relative frequency??

Cumulative frequency ÷ Total observations in the data set

What is cumulative percentage ??

Cumulative relative frequency × 100

### Relative Frequency and Percentage Distributions

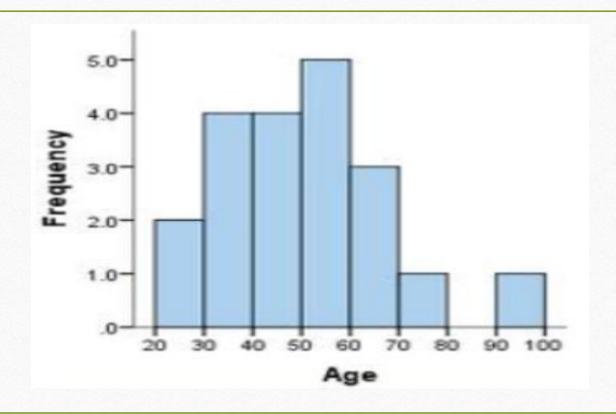
Age	Number of Patients	Cumulative Frequency	Cumulative Relative Frequency	Cumulative Percentage
0-9	20	20	20÷130 = 0.153	15.3 %
10 - 19	15	20+15 =35	35÷130 = 0.269	26.9 %
20 - 29	25	20+15+25=60	60÷130 = 0.461	46.1 %
30 - 39	20	20+15+25+20=80	80÷130 = 0.615	61.5 %
40 - 49	20	20+15+25+20+20=100	100÷130 = 0.769	76.9 %
50 - 59	30	20+15+25+20+20+30= 130	130÷130 = 1	100

### GRAPHING QUANTITATIVE DATA

#### How to present quantitative data??

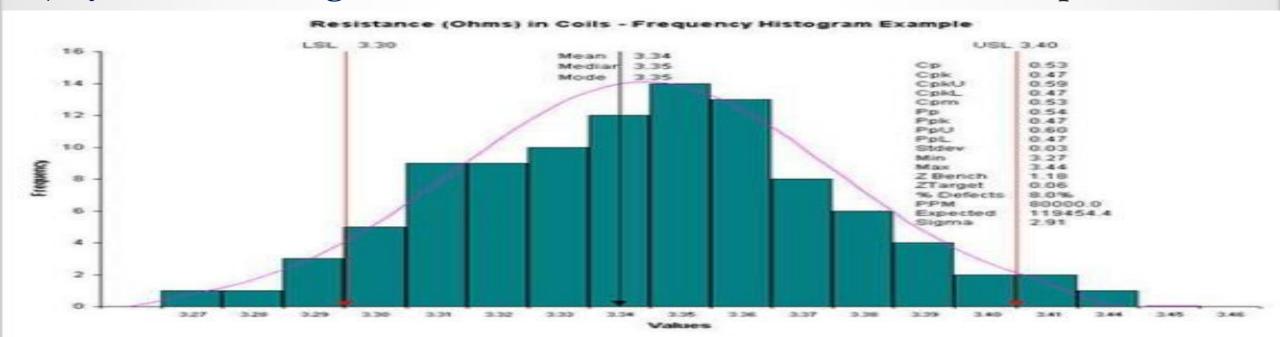
1- Histograms / a graph in which classes are marked on horizontal axis and the frequencies are marked on the vertical axis which represent the height of bars.

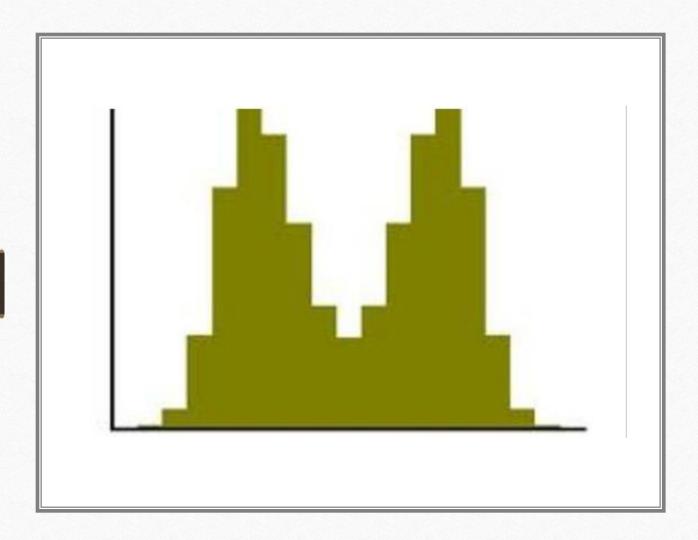
In a histogram, the bars are attached to each other.



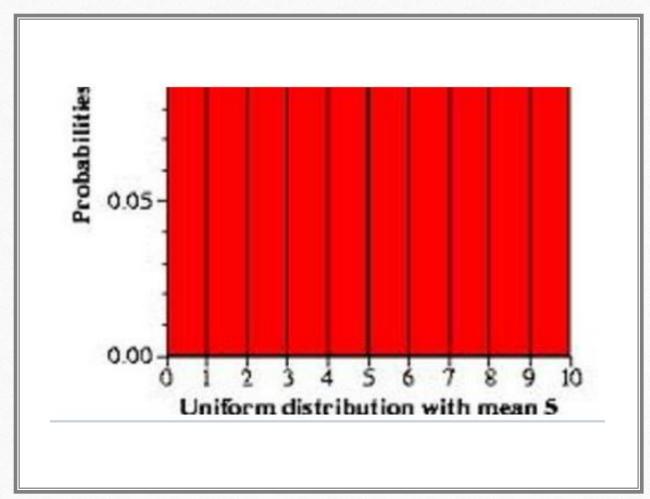
What are the shapes of histograms??

A-) Symmetric histogram / is identical on both sides of its central points.

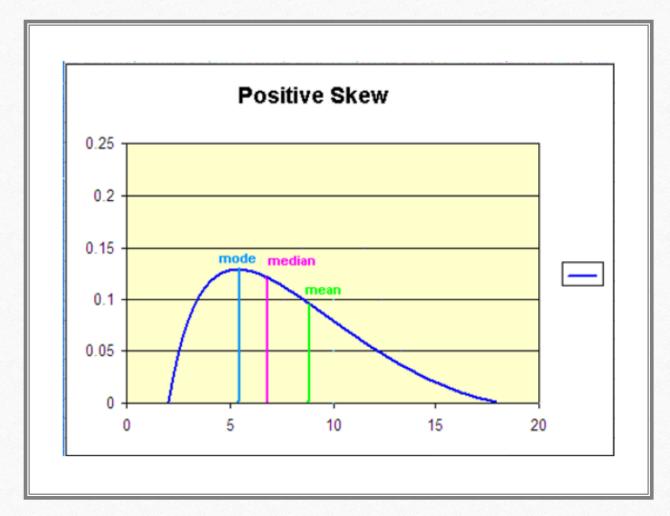




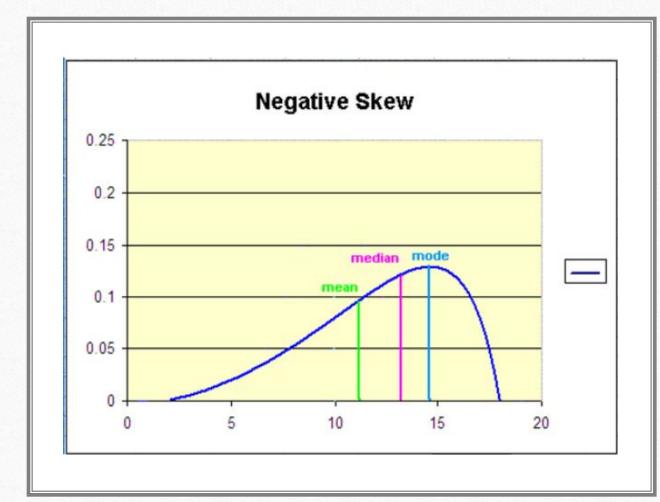
B-) Bimodal symmetric histogram / is identical on both sides of its central points with two modes



C-) Uniform or rectangular histogram (symmetric) / the frequencies of each class are the same or equal to each other.



D-) Skewed to the right histogram (positive skewed) / Most of data is shown in the left side of histogram and the tail on the other right side.

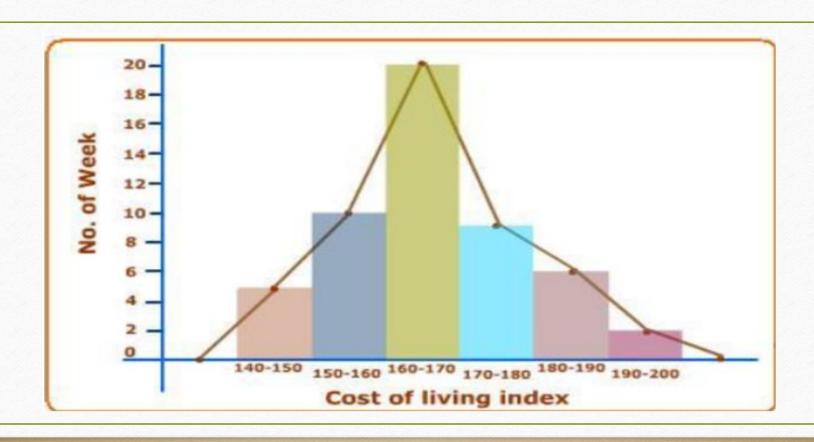


E-) Skewed to the left histogram (negative skewed) / Most of data is shown in the right side of histogram and the tail on the other left side.

# Polygons

2- Polygons / A graph formed by joining the midpoints of the tops of bars in a histogram with straight lines.

# Polygons



# Stem and Leaf display

3- Stem and Leaf display / each value is divided into two portions -- a stem and a leaf. Then the leaves for each stem are shown separately in a display.

### Stem and Leaf display

#### Construct a stem-and-leaf display for these data

Example / 22, 26, 27, 31, 33, 35, 42, 44, 46, 57, 58, 59, 61, 63, 64, 65, 67

### Solution

Stem	Leaf
2	267
3	1 3 5
4	2 4 6
5	7 8 9
6	1 3 4 5 7

### Reference

• Prem S. Mann 1998, Introductory Statistics, 7th edn, New York, USA.

### Good Luck for All Students

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# سبحان الله وبحمده سبحان الله العظيم

ذكر الله أعظم ما في الوجود ،، لعل الله يرحمنا بعلم تعلمناه في الحياة الدنيا

أستغفر الله