

	A	B	C	D	E	F	G	H	I	J
1										
2										
3										
4										
5										
6										
7										
8										
9										
10										
11										
12										
13										
14										
15										
16										
17										
18										
19										
20										
21										
22										
23										
24										
25										
26										
27										
28										
29										
30										
31										
32										
33										
34										
35										
36										
37										
38										
39										
40										
41										
42										
43										
44										
45										
46										
47										
48										
49										
50										
51										
52										
53										
54										
55										
56										
57										
58										
59										

Discounted Cash Flow (DCF)

In the model below, the sources of risk are the revenue growth rate and variable costs as a percentage of revenue or sales. The base case for annual growth rate is assumed to be 5%, varying based on a Normal distribution with volatility (or standard deviation) of 7.5%. Annual fixed cost is assumed to be a flat 35M. It's further assumed variable cost is most likely to be 40% of revenue and will vary within a min-max range. The distributions are assumed to be skewed (or slanted in a specific direction) in this case and parameters have been chosen to reflect the assumption that the variable cost % is more likely to exceed rather than fall below the base case of 40%. Pert (which stands for Program Evaluation and Review Technique) distributions are applicable to describe the variable cost % for each year as shown in the respective row below.

After taking into account the assumed investment outlay, and applying a discount factor based on a hurdle rate, the DCF and Net DCF are derived. The Net DCF is entered as an @RISK output as well as a bonus payment assumed to be paid whenever the Net DCF is larger than \$50M. The Net DCF is estimated by running 1,000 iterations of the model using @RISK. Following the simulation in this example, the average (mean) of the Net DCF (commonly referred to as the net present value or NPV) is positive, whereas the probability of a negative DCF is more than 10%. The decision as to whether to proceed or not with this project will therefore depend on the risk perspective (tolerance) of the decision-maker.

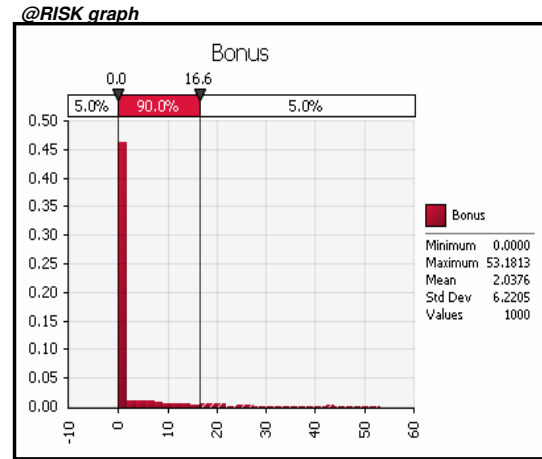
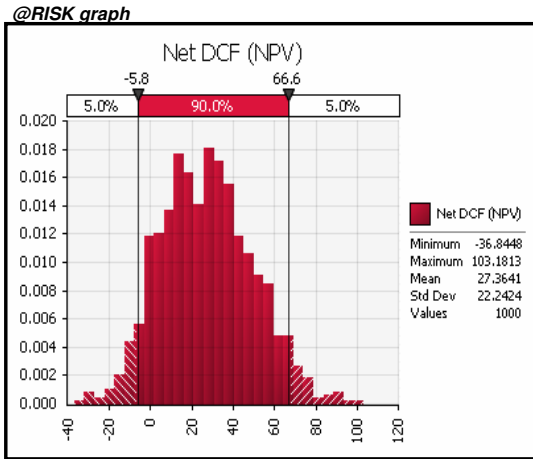
The model also uses some of the @RISK Statistics functions (RiskMean, RiskTarget, RiskTargetD) to work out the average Net DCF, the probability that the Net DCF is negative and the probability that a bonus is paid.

In Millions	1	2	3	4	5	10
Revenue	\$100.0	\$105.0	\$110.3	\$115.8	\$121.6	\$127.6
% growth rate		5.0%	5.0%	5.0%	5.0%	5.0%
average		5.0%	5.0%	5.0%	5.0%	5.0%
volatility		7.5%	7.5%	7.5%	7.5%	7.5%
Fixed Cost	\$35.0	\$35.0	\$35.0	\$35.0	\$35.0	\$35.0
Variable Cost	\$40.8	\$42.9	\$45.0	\$47.3	\$49.6	\$52.1
Variable Cost %	40.8%	40.8%	40.8%	40.8%	40.8%	40.8%
minimum	35%	35%	35%	35%	35%	35%
most likely	40%	40%	40%	40%	40%	40%
maximum	50%	50%	50%	50%	50%	50%
Profit/Cash Flow	\$24.2	\$27.1	\$30.2	\$33.5	\$36.9	\$40.5
Hurdle Rate	12%					
DCF	\$127.5					
Investment	\$100.0					
Net DCF (NPV)	\$27.5		Average	\$27.4		
			p(<=0)	10.8%		
Bonus threshold	\$50.0					
Bonus	\$0.0		Average	\$2.0		
			p(>0)	16.4%		

Cell Formula Notes:
 E27=RiskNormal(E28,E29), F27=RiskNormal(F28,F29), etc.
 D33=RiskPert(D34, D35, D36), E33=RiskPert(E34, E35, E36), etc.
 D42=RiskOutput("Net DCF (NPV)")+D40-D41
 G42=RiskMean(D42)
 G43=RiskTarget(D42,0)
 D46=RiskOutput("Bonus")+MAX(0,D42-D45)
 G46=RiskMean(D46)
 G47=RiskTargetD(D46,0)

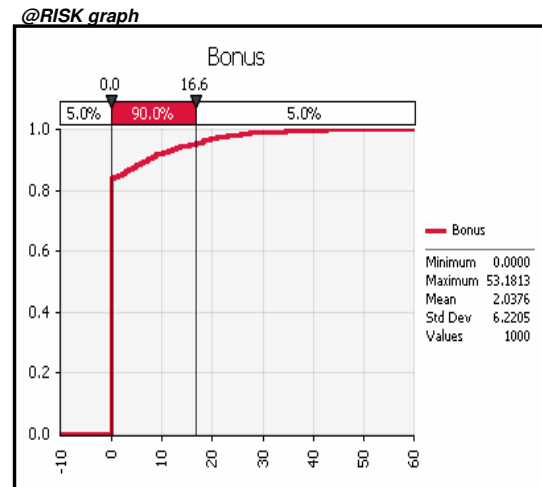
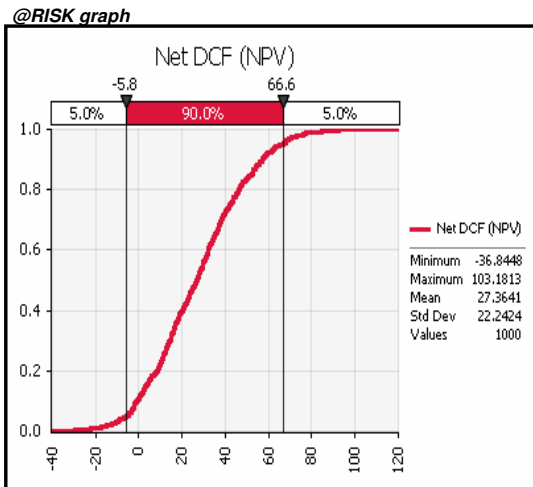
Prepared by  David Koegel Associates, Inc.

Loss Results



Statistic	Value
Min	(\$37)
Max	\$103
Mean	\$27
StdDev	\$22
90th P (worst)	(\$1)
95th P (worst)	(\$6)
99th P (worst)	(\$19)
P(Net DCF <= 0)	11%

Statistic	Value
Min	\$0
Max	\$53
Mean	\$2
StdDev	\$6
90th P	\$7
95th P	\$17
99th P	\$29
P(Bonus > 0)	16%



Powered by 